Subject: Maths

Year: 6

Term: Autumn

38

Unit: Number and place value



Vocabulary	Knowledge	Understanding	Skills
	Children will know (that)	Children will understand (that)	Children will be able to
≥ greater than or equal to ≤ less than or equal to Roman numerals integer, positive, negative above/below zero, negative numbers formula - a mathematical rule written using symbols, usually as an equation describing a certain relationship between quantities. Divisibility - can be divided evenly without leaving a remainder. factorise - the reverse of expanding brackets. prime factor - a prime number that divides exactly into another given number. ascending/descending order digit total - the sum of all the digits in a number, e.g. the digit total of 364 is 3+6+4 = 13	 the value of each digit in a number up to 10 000 000 why it is helpful to round numbers, e.g. when estimating calculations or when working with very large numbers such as populations. where to put commas or separators when writing numbers greater than 10 000 the inequality symbols < and > Stem Sentences One million is one thousand thousands. The represents	 the importance of the placeholder in numbers which place value column to look at when rounding numbers which two numbers a given number lies between when rounding. The convention of rounding up if numbers are exactly halfway where negative numbers are used in real life contexts 	 use negative numbers in context and calculate intervals across zero read, write, compare and order numbers up to 10 000 000 round any number to a required degree of accuracy

<i>a</i> is between and The previous multiple of one million is The next multiple of one million is	
a is nearest to	
<i>a</i> is when rounded to the nearest million.	

Subject: Maths

Year: 6

Term: Autumn

Unit: Addition and Subtraction (Four Operations)

Vocabulary	Knowledge	Understanding	Skills
	Children will know (that)	Children will understand (that)	Children will be able to
Addition Add, more, and, make, sum, total, altogether Double Near double Half, halve One more, two more ten more Addends – the numbers added together to make the sum Subtraction	 how to use place value to line up numbers with more than 4 digits accurately when an exchange is and isn't needed how to round numbers in order to estimate the most appropriate number to round to, e.g. the nearest 10, 100 or 1000 that addition can be done in any order but subtraction cannot Stem Sentences 	• '0' as a place holder	 use manipulatives and pictorial representations to demonstrate how to add and subtract add and subtract increasingly larger numbers mentally use formal written methods to add and subtract numbers greater than 4-digits use rounding to estimate and check answers solve addition and subtraction muti-step problems

Take away, minus, fewer, less,	If one addend is increased by an	
difference between	amount and the other addend is	
One less, two less ten less	decreased by the same amount, the sum remains the same.	
Minuend – a quantity or number from which another is to be subtracted		
Subtrahend - a quantity or number to be subtracted from another.		
Equals		
Is equal to, is the same as		
Number bonds		
Number pair		
Number facts		
Part, part, whole		
Partition		
Recombine		
Missing number		
Tens boundary / Hundreds boundary		
Commutative - involving the condition that a group of quantities connected by operators gives the same result whatever the order of		

the quantities involved, e.g. $a \times b = b \times a$.		
Approximate - something is almost, but not completely, accurate or exact; roughly		

Subject: Maths

Year: 6

Term: Autumn

a.

Unit: Multiplication and division (Four Operations)

Vocabulary	Knowledge	Understanding	Skills
	Children will know (that)	Children will understand (that)	Children will be able to
Multiplication	 `long multiplication' is an algorithm involving 	• when multiplying two numbers that are multiples of 10, 100 or	 use short multiplication to multiply numbers by a single-
Multiply	multiplication, then addition of partial products.	1000, you multiply the number	digit number.use long multiplication to
Multiplied by	 remainders can be expressed as whole number a fraction or a 	and then adjust the product	multiply numbers by a two-digit
Groups of	decimal.	using place value.	 multiply and divide by 10, 100,
Times	 how to use a systematic approach to find all the 	$= 3 \times 4 \times 10 \times 10$	1000 using concrete and pictorial representations and
Repeated addition	common factors of numbers.	$= 3 \times 4 \times 100$	then by visualising place value
	 In mixed operation calculations, calculations are not carried out 	$= 12 \times 100$	use the compensation property
Multiple - The result of multiplying	from left to right.	= 1.200	of multiplication to complete
fraction).	is no operation sign written, this means multiply.	 the compensation property of multiplication, e.g. 5 x 8 = 10 x 	$0.3 \times 320 = 3 \times ?$, and to help them solve calculations such as
	carry out a mental strategy	4.	0.5 × 520.

Common multiple - A multiple	rather than a written	• two two-digit numbers can be	list multiples of the divsor to
that is common to two or more	computaional method.	multiplied by partitioning one of	help them solve disions more
numbers.		the factors, calculating partial	easily.
	Stem Sentences	products and then adding these	 find common factors of
		partial products together. This	numbers.
Factor - Numbers we can multiply		three-digit numbers by two-	• Ind whether of not a number
together to get another number.		digit numbers	 solve problems involving square
		 how portioning in different 	and cubed numbes.
Common for them. When we find	"If I multiply one factor by a	ways, other than according to	 use known facts from one
Common factor - when we find	number, I must divide the other	place value, supports division of	calculation to determine the
numbers and then find some	product to stay the same "	larger numbers.	answer to another similar
factors are the same ("common")	product to stay the same.	how using factor pairs can	calculation,
then they are the "common		support dividing, e.g.	e.g. 5,138 ÷ 14 = 367
factors".	"If I multiply one factor by a	$780 \div 20 = 780 \div 10 \div 2$	use this to to calculate 367×15
	number, and keep the other factor	• each step in the 'long division'	
	the same, I must multiply the	process	
Multiplicand – The number to be	product by the same number."	how to change a remainder	
multiplied		into a fraction or a decimal.	
		how to interpret the remainder,	
	"If one factor is made ten times the	e.g. $380 \div 12 = 31r8$ could	
Multiplier – The number by which	size, the product will be en times	mean 31 full packs or 32 packs	
the multiplicand is multiplied by	the size."	context	
		 how to break numbers down to 	
		their prime factors.	
Product – The result of a		 how the order of operations 	
multiplication		affects the answer.	
Multiplication			
6 × 3 = 18 Factor Factor Product (or Multiplier) (or Multiplicand)			
Division			

Dividing		
Divide		
Divided by		
Divided into		
Grouping		
Sharing		
Shared equally		
Left over		
Remainder		
Equal groups of		
Dividend – The amount that you want to divide up.		
Divisor – The number we divide by.		
Quotient - The answer after we divide one number by another.		
dividend ÷ divisor = quotient.		
Commutative law - The Law that		
says you can swap numbers around		

and still get the same answer when		
you add or when you multiply.		
Distributive law - multiplying a		
number by a group of numbers		
added together is the same as		
doing each multiplication		
separately.		
Prime number - A number that is		
only divisible by itself and 1 to		
leave a whole number.		
Composite number - A whole		
number that can be made by		
multiplying other whole numbers.		
Square number - the number we		
get after multiplying an integer		
(not a fraction) by itself.		
Cubed number - The whole		
number is used three times, just		
Prime factor - A factor that is		
a prime number.		

Subject: Maths

Year: 6

Term: Autumn and Spring

A

Unit: Fractions



Vocabulary	Knowledge	Understanding	Skills
	Children will know (that)	Children will understand (that)	Children will be able to
fraction unit fraction – a fraction with a numerator of 1 Non-unit fraction – a fraction where the numerator is greater than or equal to the denominator (equal to or greater than one whole) Proper fraction – a fraction where the numerator is smaller than the denominator (less than one whole) improper fraction – a fraction where the numerator is larder than the denominator equivalent fraction – equal in value Simplify – to make a fraction as simple as possible, e.g. 2/10 can be simplified to 1/5 by	 when calculating fractions, they need to simplify their answers. when a numerator or denominator are prime numbers, a fraction cannot be simplified any further. when comparing mixed numbers, they start by comparing the whole numbers. when the numerators are the same, the larger the denominator, the smaller the fraction. they have to make the denominators the same and change the numerators accordingly before addition or subtraction can be performed. 	 how to use the highest common factor to simplify fractions. how to use their number sense to visualise the size of fractions before converting when comparing and ordering fractions. how to make the denominators the same in order to compare and order fractions. how to find the lowest common multiple to find common denominators. the link between dividing fractions by integers to multiplying by unit fractions. 	 represent fractions using different pictorial representations. use a diagram to compare fractions. use 1/2 to compare fractions. arrange fractions from smallest to largest and vice versa. Pupils are able to convert a mixed number into an improper fraction and vice versa. multiply simple pairs of fractions using diagrams. use concrete materials and pictorial representations to divide a fraction by a whole number. show division of fractions using pictures. check their division by using multiplication of fractions.

dividing both top and bottom by 2 (and that is as far as we can go) Simplest form - A fraction is in simplest form when the top and bottom cannot be any smaller, while still being whole numbers. mixed number - a whole number and a fraction combined into one number numerator, common numerator - when two or more fractions have the same numerator denominator common denominator - when two or more fractions have the same denominator equal part equal grouping equal sharing parts of a whole half, two halves one of two equal parts quarter, two quarters, three quarters one of four equal parts one third, two thirds one of three equal parts sixths, sevenths, eighths, tenths, hundredths, thousandths	 multiplying a number by a half is the same as dividing by 2. of is the same as - x Stem Sentences A fraction can be simplified when the numerator and denominator have a common factor other than 1. To convert a fraction to its simplest form, divide both the numerator and the denominator by their highest common factor. We need to compare the denominators of ¹/₅ and ⁴/₁₅ . 15 is a multiple of 5. We can use 15 as the common denominator. We need to express both fractions in fifteenths. If one denominator is not a multiple of the other, we can multiply the two denominators to find a common denominator. We need to compare the denominators of ¹/₃ and ³/₈ . 8 is not a multiple of 3. 24 is a multiple of both 3 and 8. We can use 24 as the common denominator. 	•	use equivalent fractions to divide fractions where the numerator is not a multiple of the interger they are dividing by. invert the whole number into a fraction to use multiplication to solve.
	express both fractions in twenty- fourths.		

If the denominators are the same, then the larger the numerator, the larger the fraction.	
If the numerators are the same, then the larger the denominator, the smaller the fraction.	

Subject: Maths

Year: 6

Term: Autumn

ap.

Unit: Converting units



Vocabulary	Knowledge	Understanding	Skills
	Children will know (that)	Children will understand (that)	Children will be able to
length	 which operation to use when converting a smaller unit of 	 the link between multiplying and dividing by 10, 100 and 	 read, write and recognise all metric measures for length,
centimetre	measurement to a larger one	1,000 when converting between	mass and capacity.
metre	 the difference between capacity 	capacity.	 convert between metres,centimetres and
millimetre	(the amount an object can	the role of zero as a place belder when performing some	millimetres; litres and
kilometre	amount actually in an object).	calculations, as questions will	grams; seconds, minutes and
mile	the unit of measure that would be the most appropriate to	involve varied numbers of decimal places.	hours etcuse a ruler to measure 2-D
foot, feet	measure different items.	 how to work out what each 	shapes.
inch, inches	 5 miles is approximately equal to 8 km. 1 foot is equal to 12 inches 	mark is worth on a scale.	 use decimals to express units of measure when converting. compare measurements in
weight	1 pound is equal to 16 ounces 1 stone is equal to 14 pounds 1 gallon is equal to 8 pints		different units and determine 'greater than', 'less than' and 'equal to'.

mass	1 inch is approximately 2.5 cm	• find approximate conversions
tonne		from miles to km and from km
	 the symbol `≈' as ``is approximately equal to" 	to miles.
kilogram	approximately equal to .	 periori related conversions, both within imperial measures
gram	Stem Sentences	and between imperial and
pound		metric.
pound	There are 1000 grams in a	determine how many seconds
ounce	kilogram so to convert grams to	there are in a minute, how
	Kilograms we divide by 1000.	many minutes in an hour, how
•	There are 100 centimetres in a	find fractions of time and
capacity	metres so when we convert	convert these into decimals
volume	centimetres to metres, we divide	using division.
litre	by 100.	-
millilitre		
centilitre		
a.m., p.m.		
digital/analogue clock/watch, timer		
12-hour clock time, 24-hour		
clock time		